Program I (Inverse in place)

| N | IS | 6 |  | Number of elements in the permutation |
| :---: | :---: | :---: | :---: | :---: |
| j | IS | \$2 |  | Variables of the algorithm |
| i | IS | \$3 |  |  |
| mm | IS | \$4 |  | For $m$ the value is multiplied by 8 |
|  | LOC | Data_Segment |  |  |
| X | GREG | © |  | $X[0]$ is not used <br> The data of Table 1.3.3-3 |
|  | OCTA | 0 |  |  |
|  | OCTA | 6,2,1,5,4,3 |  |  |
|  | LOC | \#100 |  |  |
| * Inverse a permutation in place |  |  |  |  |
| Invert | SET | $\mathrm{mm}, \mathrm{N}$ | 1 | I1. Initialize. |
|  | SL | mm, mm, 3 | 1 | $\overline{m \leftarrow n .}$$j \leftarrow-1$. |
|  | NEG | j,1 | 1 |  |
| 2 H | LDO | i, X, mm | $N$ | $\frac{\text { I2. Next element. }}{\text { To I5 if } i<0 .} i \leftarrow X[m] \text {. }$ |
|  | PBN | i, 5F | $N$ |  |
| 3H | STO | j, X, mm | $N$ | I3. Invert one. $X[m] \leftarrow j$. |
|  | SR | j,mm,3 | $N$ |  |
|  | NEG | j, j | $N$ | $\begin{aligned} & j \leftarrow-m . \\ & m \leftarrow i . \end{aligned}$ |
|  | SL | mm,i,3 | $N$ |  |
|  | LDO | i, X, mm | $N$ | $i \leftarrow X[m]$. |
| 4H | PBP | i, 3B | $N$ | I4. End of cycle? To I3 if $i>0$. <br> Otherwise set $i \leftarrow j$. |
|  | SET | i, j | C |  |
| 5H | NEG | i, i | $N$ | I5. Store final value.$\overline{X[m] \leftarrow-i .}$ |
|  | STO | i, X, mm | $N$ |  |
| 6H | SUB | $\mathrm{mm}, \mathrm{mm}, 8$ | $N$ | $\frac{\text { I6. Loop on } m \text {. }}{\text { To I2 if } m>0 .}$ |
|  | PBP | mm, 2B | $N$ |  |
| * inspect | memory locations of array $X$ for the result |  |  |  |
|  | TRAP | 0,Halt,0 |  |  |
| Main | IS | Invert |  | - |

## Analysis

This time negation is used to tag the numbers as it is stated in the algorithm. Programs A and B used symbols not numbers.

The PB. . instructions in lines 05 and 11 are based on the assumption that $C \leq N / 2$. Later the analysis of $C$ in the book shows that the assumption is correct.

The program needs $4 N \mu+(12 N+5 C+5) v$. The execution with the test data gives the statistic for Invert: 78 instructions, 24 mems, 92 oops; 11 good guesses, 7 bad. As in this case $N=6$ and $C=3$ the above formula calculates $24 \mu$ and $72+15+5 v=92 v$ in agreement with the measured data.

